

# EuroBeam from Greentram Software

## Typical calculations produced by the pre-release version

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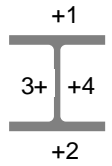
EuroBeam 1.00c 100028

Column calculation to EN1993-1-1 using S275 steel

**Location: WES 5/11 simple column + base**

Length: 5.0 m.

Po:Dur	Load	kN	Factored load		Offset	Moment y-y		Moment z-z	
			6.10a	6.10b		6.10a	6.10b	6.10a	6.10b
A G	Upper floors 8m dead	88.8 x 2 = 177.6	239.8	221.8					
A G	Upper floors 6m dead	66.6 x 2 = 133.2	179.8	166.3					
A QB	Upper floors 8m live	79.2 x 2 = 158.4	166.3	237.6					
A QB	Upper floors 6m live	59.3 x 2 = 118.6	124.5	177.9					
1 G	First floor 8m dead	88.8	119.9	110.9	100	27.22	25.18		
1 QB	First floor 8m live	79.2	83.2	118.8	100	18.88	26.97		
2 G	First floor 6m dead	66.6	89.9	83.2	100	-20.41	-18.88		
2 QB	First floor 6m live	59.4	62.4	89.1	100	-14.16	-20.23		
<b>Total load</b>		<b>881.8</b>	<b>1,065.8</b>	<b>1,205.6</b>		<b>11.53</b>	<b>13.04</b>	<b>0.00</b>	<b>0.00</b>



Load offsets are measured in mm. from faces of member; moments in kNm

Use: **254 x 254 x 73 UKC S275**

Section properties: Gross area,  $A_g = 93.1 \text{ cm}^2$   $T = 14.2 \text{ mm}$   $r_y = 6.48 \text{ cm}$   
 $D = 254.1 \text{ mm}$   $t = 8.60 \text{ mm}$   $W_{pl,y} = 992 \text{ cm}^3$   $Z_y = 307 \text{ cm}^3$

Design strength,  $p_y = 275 \text{ N/mm}^2$   $\epsilon = 0.924$

Classification: Flange:  $c/t = 110.3/14.2 = 7.77 \leq 9\epsilon$  (8.32): Class 1, plastic

Major axis:  $L_{Ex} = 1.0L = 5.00 \text{ m}$ . Slenderness,  $\lambda_y = 5.00 \times 100/11.1 = 45.0$

Minor axis:  $L_{Ey} = 1.0L = 5.00 \text{ m}$ . Slenderness,  $\lambda_z = 5.00 \times 100/6.48 = 77.2$

**Compression:**

Design axial load,  $N_{Ed} = 1,206 \text{ kN}$

Design compression resistance,  $N_{c,Rd} = A_f/\gamma_{M0} = 93.1 \times 100 \times 275/(1.0 \times 1000) = 2,560 \text{ kN}$

Calculate flexural buckling resistances,  $N_{c,Rd}$

**Buckling about y-y (major) axis**

$\bar{\lambda}_y = \lambda_y/93.9\epsilon = 45.0/(93.9 \times 0.924) = 0.519$

Use curve b:  $\alpha = 0.340$   $\phi = 0.5(1 + \alpha(\bar{\lambda}_y - 0.2)\bar{\lambda}_y^2) = 0.689$

$\chi = 1/(\phi + \sqrt{\phi^2 - \bar{\lambda}_y^2}) = 0.876$

Design buckling resistance,  $N_{b,z,Rd} = \chi A_{fy}/\gamma_{M1} = 0.876 \times 93.1 \times 1000 \times 275/(1.0 \times 1000) = 2,242 \text{ kN OK}$

**Buckling about z-z (minor) axis**

$\bar{\lambda}_z = \lambda_z/93.9\epsilon = 77.2/(93.9 \times 0.924) = 0.889$

Use curve c:  $\alpha = 0.490$   $\phi = 0.5(1 + \alpha(\bar{\lambda}_z - 0.2)\bar{\lambda}_z^2) = 1.06$

$\chi = 1/(\phi + \sqrt{\phi^2 - \bar{\lambda}_z^2}) = 0.607$

Design buckling resistance,  $N_{b,z,Rd} = \chi A_{fy}/\gamma_{M1} = 0.607 \times 93.1 \times 1000 \times 275/(1.0 \times 1000) = 1,553 \text{ kN OK}$

**Bending about y-y (major) axis:**

Design moment,  $M_{y,Ed} = 13.0 \text{ kNm}$

Classification: Flange:  $c/t = 110.3/14.2 = 7.77 \leq 9\epsilon$  (8.32): Class 1, plastic

Table 5.2 Web:  $c/t = 200.3/8.6 = 23.3 \leq 72\epsilon$  (66.6): Class 1, plastic

Moment capacity,  $M_{c,y,Rd} = p_y \cdot W_{pl,y} = 275 \times 992/1000 = 272.8 \text{ kNm OK}$

Calculate Buckling Resistance Moment

Design buckling resistance moment,  $M_{b,Rd} = \chi_{LT,mod} \cdot M_{c,Rd}$

$M_{cr} = C_1(\pi^2 EI_z/L_{eff}^2)[\sqrt{(I_w/I_z + L_{eff}^2 G_I/(\pi^2 EI_z))}] = 549.4 \text{ NCCI SN003 2(1)}$

$\bar{\lambda}_{LT} = \sqrt{M_{c,y,Rd}/M_{cr}} = 0.705$

$\bar{\lambda}_{LT,0} = 0.4$   $\beta = 0.75$  [EC3 UK NA 2.17]

Use buckling curve b:  $\alpha = 0.340$  [EC3 Tables 6.3/6.4 NA2.17]

$\phi_{LT} = 0.5[1 + \alpha_{LT}(\bar{\lambda}_{LT} - \bar{\lambda}_{LT,0}) + \beta \bar{\lambda}_{LT}^2] = 0.738$

$\chi_{LT} = 1/[\phi_{LT} + \sqrt{\phi_{LT}^2 - \beta \bar{\lambda}_{LT}^2}] = 0.867$  [EC3 (6.56)]

$M_{b,y,Rd} = \phi_{LT} \cdot M_{c,y,Rd}/\gamma_M = 0.738 \times 272.8/1.0 = 203.6 \text{ kNm}$

**Bending about z-z (minor) axis:** N/A

**Summary:**

$F_c/P_c = 1,206/1,553 =$	0.776	[1]
$M_x/M_{bs} = 13.0/236.6 =$	0.055	[2]
$M_y/p_y \cdot Z_y =$	0.000	[3] x 1.5 NCCI SN048

Sum of stress ratios [1] + [2] + 1.5 x [3] = **0.831** OK

**Baseplate calculation (considering axial load only)**

EuroBeam early experience release - queries to support@eurobeam.co.uk

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Design compression force on baseplate,  $N_{Ed} = 1,206\text{kN}$

Concrete grade C30/37: cylinder strength,  $f_{ck} = 30\text{ N/mm}^2$

Concrete strength,  $f_{cd} = \alpha_{cc} \cdot f_{ck} / \gamma_M = 0.85 \times 30 / 1.5 = 17.0\text{ N/mm}^2$

Concrete design strength,  $f_{jd} = \beta_j \cdot \alpha \cdot f_{cd} = 17.0\text{ N/mm}^2$  ( $\beta = 2/3$ ;  $\alpha$  taken as 1.5) [SN037 A2]

Minimum area required =  $F_d / f_{jd} = 1,206 \times 1000 / 17 = 70,916\text{mm}^2$

Base is sized as a large projection base plate (equal projection from all faces of member) [EC3-1-8 6.2.5]

Min required projection,  $c = 37.2\text{mm}$  Minimum base plate size =  $329 \times 330\text{ mm}$

Minimum thickness =  $c \cdot \alpha / (3 \times f_{jd} / f_y) = 16.3\text{ mm}$  ( $f_y = 265\text{ N/mm}^2$ )

Use  $400 \times 400 \times 20\text{mm}$  S275 base plate

Pressure on underside of plate =  $1,206 / 70,916 = 17.0\text{ N/mm}^2$

Bending stress at root of plate projection =  $17.0 \times 37.2 \times (37.2/2) / (20 \times 20/6) = 177\text{ N/mm}^2$  OK

As  $\alpha$  taken as 1.5, min. base size =  $1.5 \times$  min plate size =  $494 \times 493\text{ mm}$ . - actual size to be determined by soil conditions